

### **Assessment of existing structures**

### **MOTIVATION**

- The need to assess the reliability of an existing structure may arise from different causes
- All can be traced back to doubts about the structural safety





- → Reliability ok for future use ?
- → Staged evaluation procedure, improving accuracy of data

### Influence of updated information

### **ASSESSMENT WITH PARTIAL FACTOR METHOD**

- Probabilistic methods are most accurate to take into account updated information
- But they are not fit for use in daily practice
- Partial factor method should be available for assessment

$$\gamma_{\text{E,act}} \cdot \mathsf{E}_{\text{k,act}} \le \frac{\mathsf{R}_{\text{k,act}}}{\gamma_{\text{R,act}}}$$



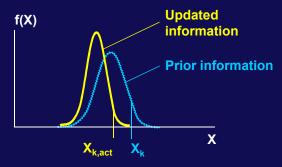




### Influence of updated information

### **ASSESSMENT WITH PARTIAL FACTOR METHOD**

Updated characteristic value of X



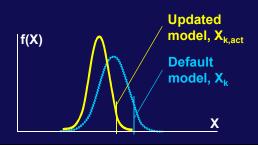


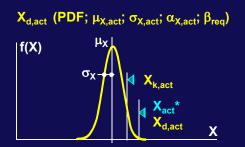
- Updated partial factor γ<sub>X,act</sub>
   Can not be derived directly
- $\rightarrow \gamma_{E,act} \cdot E_{k,act} \leq \frac{R_{k,ac}}{\gamma_{R,act}}$
- → Link between probabilistic and partial factor methods: design point, the most probable failure point on LS surface

### Work done for sound structures

### DEVELOPMENT OF PRACTICAL TOOLS FOR THE ASSESSMENT

- Identification of representative failure modes and LSF
- Adoption of partial factor format for assessment
- Definition of reference period
- Deduction of default probabilistic models
- Establishment of required reliability
- Updating of characteristic values and partial factors







### PARTIAL FACTOR FORMAT FOR ASSESSMENT

Design value for action effects

$$\mathsf{E}_{\mathsf{d},\mathsf{act}} = \gamma_{\mathsf{Sd},\mathsf{act}} \cdot \mathsf{E} \bigg\{ \sum_{j \geq 1} \gamma_{\mathsf{g},\mathsf{j},\mathsf{act}} \cdot \mathsf{G}_{\mathsf{k},\mathsf{j},\mathsf{act}} \, " + " \, \gamma_{\mathsf{q},\mathsf{1},\mathsf{act}} \cdot \mathsf{Q}_{\mathsf{k},\mathsf{1},\mathsf{act}} \, " + " \dots \bigg\}$$

 $\begin{array}{ll} \gamma_{\text{f,i,act}} & \text{Updated partial factor for actions (statistical variation)} \\ \gamma_{\text{Sd,act}} & \text{Updated partial factor for the } \\ \text{models for action effects} \\ \text{and for the simplified representation of actions} \end{array}$ 

Model uncertainties vary depending on the action effects
 → distinguish between

 $\gamma_{\text{Sd,N,act}}$  Bending moments  $\gamma_{\text{Sd,N,act}}$  Shear forces  $\gamma_{\text{Sd,N,act}}$  Axial forces

Format differs from EC but is more accurate for evaluation

**Tools developed** 

### PARTIAL FACTOR FORMAT FOR ASSESSMENT

Design value for resistance

$$R_{\text{d,act}} = \frac{1}{\gamma_{\text{Rd,act}}} \cdot \left\{ \eta_i \cdot \frac{X_{\text{k,i,act}}}{\gamma_{\text{m,i,act}}}; a_{\text{d,act}} \right\}$$

 $\gamma_{m,i,act}$  Updated partial factor for the material or product property

 $\gamma_{Rd,act}$  Updated partial factor for the resistance model

 Model uncertainties vary depending on the resistance mechanism → distinguish between (RC structures)

 $\gamma_{Rd,M,act}$  Bending moments

 $\gamma_{Rd,V_s,act}$  Tensile forces in the web

 $\gamma_{Rd,V_c,act}$  Diagonal compression forces in the web

 $\gamma_{Rd,N,act}$  Axial compression forces

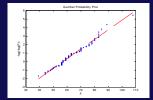
Format differs from EC-2 but is more accurate for evaluation

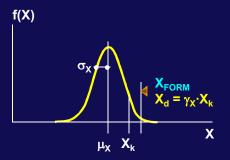
Tools developed

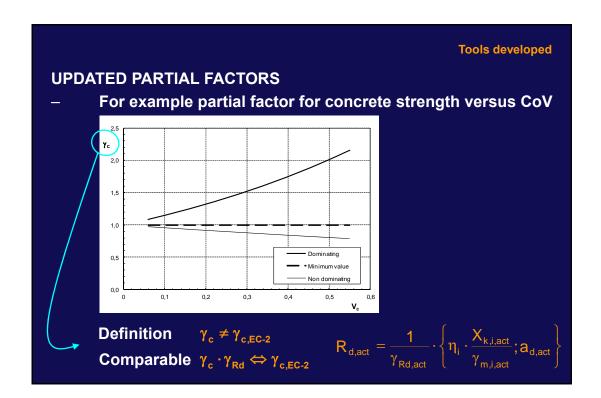
## DEFAULT PROBABILISTIC MODELS COMPLYING WITH THE FOLLOWING REQUIREMENTS

- Representation of physical properties of the corresponding variable
- Consistency with JCSS models
- Representation of the state of uncertainty associated with code rules
- Representation of uncertainties by means of random variables, suitable for practical applications

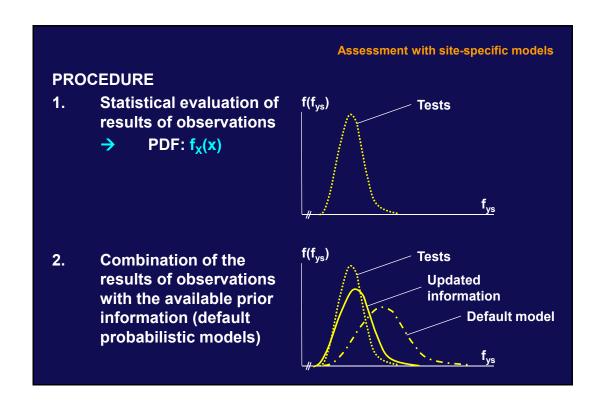
$$X_i = Type\left(\mu_{X_i}; \sigma_{X_i}\right)$$







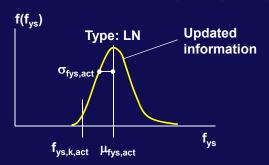
# Assessment of existing RC structure for new conditions - Site data collection has been decided, planned and carried out → Sample of n test results is available for updating of reinforcement yield strength, fys



Assessment with site-specific models

### **PROCEDURE**

3. Description of the updated distribution function by means of relevant parameters: Type;  $\mu_{X,act}$ ;  $\sigma_{X,act}$ ;  $x_{k,act}$ 



4. Coefficient of variation for the relevant function of updated random variables, depending on the partial factor format for assessment

Assessment with site-specific models

### **EXAMPLE**

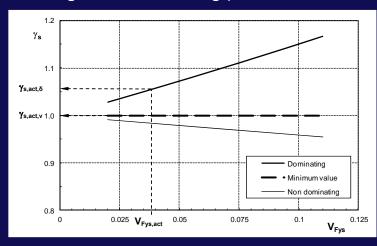
- Partial factor for reinforcing steel takes into account
  - Uncertainties related to the yield strength, f<sub>vs</sub>
  - Uncertainties related to the cross-sectional area, A<sub>s</sub>
- f<sub>ys</sub> and A<sub>s</sub> enter the LSF as a product: tensile force →
   F<sub>vs</sub> = f<sub>vs</sub> · A<sub>s</sub>
- Only f<sub>vs</sub> has been updated
- Updated coefficient of variation for the tensile force

$$V_{\text{Fys,act}} \cong \sqrt{V_{\text{fys,act}}^2 + V_{\text{As}}^2} \qquad V_{\text{fys,act}} = \frac{\sigma_{\text{fys,act}}}{\mu_{\text{fys,act}}} \qquad V_{\text{As}} = 0.02$$

Assessment with site-specific models

### **PROCEDURE**

5. Updated partial factor, considering the updated variable dominating or non dominating (unknown in advance)

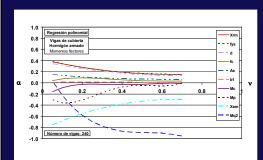


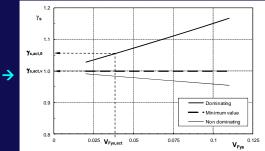
Assessment with site-specific models

### **PROCEDURE**

6. Verification of structural safety with updated characteristic values and partial factors:  $\mathbf{x}_{ik,act}$ ;  $\gamma_{Xi,act}$ 

Dominating variable unknown in advance  $\rightarrow$  trial and error or considering  $\alpha_x$ 





### Assessment with site-specific models

### **EXAMPLE**

- Verification of bending resistance of RC element
- Only f<sub>ys</sub> has been updated
- Dominating variable: F<sub>ys</sub>
- − Verification of structural safety:  $M_{Ed,act} \le M_{Rd,act}$

$$M_{\text{Rd,act}} = \frac{1}{\gamma_{\text{Rd,M}}} \Biggl( \frac{A_s \cdot f_{ys,k,act}}{\gamma_{s,act,\delta}} \cdot d - 0.5 \Biggl( \frac{A_s \cdot f_{ys,k,act}}{\gamma_{s,act,\delta}} \Biggr)^2 \cdot \frac{\gamma_c}{\eta_c \cdot f_{ck}} \cdot \frac{1}{b} \Biggr)$$









### ON THE ASSESSMENT OF DETERIORATING STRUCTURES

- Introduction
- Updated models for the assessment of sound structures
- Corrosion-damaged reinforced concrete structures
- La Laguna cathedral
- Final remarks







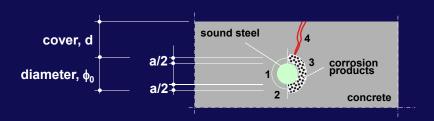




### **Performance of corroded elements**

### MAIN EFFECTS OF CORROSION OF REINFORCEMENT BARS

- 1. Decrease of bar cross-section
- 2. Decrease of ductility of steel ( $\varepsilon_{u}$ : reduction of 30 to 50%)
- 3. Bond deterioration
- 4. Cracking of concrete cover (due to corrosion products)

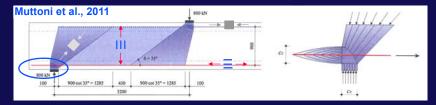


→ Corrosion may affect performance at ULS and SLS

### **Performance of corroded elements**

### **ASSUMPTIONS**

- Lower bound theorem of the theory of plasticity is valid
   A load system, based on a statically admissible stress field which nowhere violates the yield condition is a lower bound to the collapse load.
- Stress field models can be established



- Required information
  - Geometry, particularly remaining bar cross-sections
  - Material properties → ← ◆ ← = →
  - Bond strength

### **Performance of corroded elements**

### SITE DATA COLLECTION

Geometry and material properties can be updated



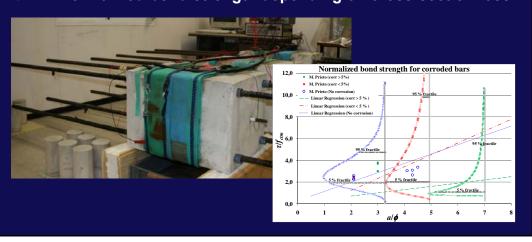




### **Performance of corroded elements**

### **BOND STRENGTH**

- Pull-out tests on specimens with accelerated and natural corrosion
- Normalized bond strength depending on cross-section loss



### Performance of corroded elements

## SIMPLE MODELS FOR ESTIMATE OF PERFORMANCE OF CORRODED STRUCTURAL ELEMENTS

Example: bending resistance



A - A Upper bound: active

Lower bound: disregarded (spalling)



 $A_s(t) = n \frac{\pi (\phi_0 - a(t))^2}{4}$ 

Similar rules for other failure modes and SLS

Validation of the model

### **ESTIMATION OF MODEL UNCERTAINTIES**

- Available tests from a research project on the residual service life of RC structures [Rodríguez et al.]
- Bending tests on 41 beams, some with accelerated corrosion



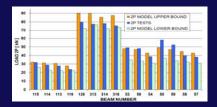
Cross-sectional loss: Top < 30,3% Bottom 9,75% to 26,4%

- Bending failure in 25 beams, 15 with corroded reinforcement
- Material properties and geometry have partly been determined for the tested beams
- → Estimation of model uncertainties

### Validation of the model

### PARAMETERS FOR UNCERTAINTY VARIABLES

Comparison test – model and statistical evaluation of results





Upper bound: active
Lower bound: disregarded
Remaining cross-sections

Model	Distribution	μ	CoV
Lower bound	LN	1,34	0,11
Upper bound	LN	0,97	0,11

- Model for lower bound is conservative
- Lower precision than in bending strength models for sound beams → reasonable

### Validation of the model

### **CONSEQUENCES**

- Higher model uncertainties lead to increase in p<sub>f</sub>
- Partial factor should be increased

$$R_{\text{d,act}} = \underbrace{\frac{1}{\gamma_{\text{Rd,act}}}} \cdot \left\{ \eta_i \cdot \frac{X_{\text{k,i,act}}}{\gamma_{\text{m,i,act}}}; a_{\text{d,act}} \right\}$$

- > Further studies are required, for example for members with
  - Larger dimensions
  - Natural corrosion



Validation of the model

### **ONGOING TESTS**

- Industrial building in the northwest of Spain
  - Construction from the 40's of the last century
  - In disuse for 20 years
  - Exposure to marine environment during 70 years
- Change of use
  - Transformation into cultural centre
  - → Partial demolition required



 $\rightarrow$ 



Validation of the model

### **ONGOING TESTS**

- Selection of representative, corrosion-damaged members for testing
  - 8 beams
  - 5 columns
  - 1 frame





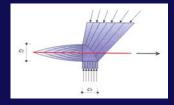


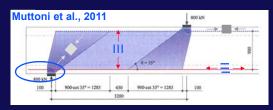
### Validation of the model **FIRST RESULTS** Bending test on beam nº 1 **A** - **A Deformation control Ductile behaviour** Ensayo de flexión 4 puntos viga 1 (LVDT-2) 120 LVDT-2 LVDT-1 100 80 **호** 60 Carga ( 20 4,84 20 25 30 35 40 45 50 Flecha (mm) 10 15

### Validation of the model

### THEORETICAL LOAD BEARING CAPACITY

- Prior information
  - Geometry: measured on tested beam prior to the test
  - Material properties: determined for members from the same building
- Analysis based on *prior* information using stress field model and comparison to test
  - $M_{ult.t} = 127 kNm$
  - $M_{ult,e} = 123 kNm$







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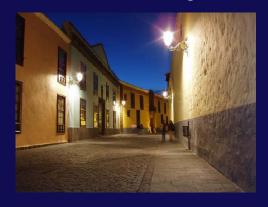




Context

### SAN CRISTÓBAL DE LA LAGUNA

- Historic city located in Tenerife
- Typical urban structure developed in Latin America during colonisation
- → Declared a UNESCO World Heritage Site in 1999



Context

### **CATHEDRAL**

- Built over former church of Nuestra Señora de los Remedios
- Cathedral since 1818
- Declared in ruins in 1897 due to settlements induced damage
- → Except neo-classical facade, it was completely demolished



Context

### **CATHEDRAL**

- Rebuilt between 1905 and 1913 in neo-gothic style according to engineering drawings by José Rodrigo Vallabriga
- Novel technology was used: reinforced concrete
  - Shorter construction time
  - Lower costs





Motivation

### RISKS ASSOCIATED WITH SCANTILY PROVEN TECHNOLOGY

- Aggregates with inbuilt sulfates, chlorides, seashells, ...
- Concrete with high porosity and low resistivity
- High relative humidity and filtration of rainwater
- Ongoing deterioration mechanisms with severe damage to both, concrete and reinforcement
  - Corrosion
  - Spalling
  - ...





**Motivation** 

### RISKS ASSOCIATED WITH SCANTILY PROVEN TECHNOLOGY

- Less than 100 years after reconstruction, the cathedral was to be closed to the public again and was propped ...
- Detailed assessment showed
  - Impossibility to detain deterioration mechanisms
  - Technical difficulties and uncertainties entailed in repairing roof
- Recommendation to demolish and rebuild the roof maintaining the rest of the temple







Motivation

### **WORLD HERITAGE SITE**

- Authorities wish to save the existing main dome
- For this purpose, durability requirements are reduced
  - Service period for normal building structures, not for monumental buildings
  - → Future techniques might be suitable to fully detain deterioration mechanisms



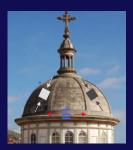


# GEOMETRY - Global system Lantern Spherical dome Cylindrical "drum" - Structural members of the spherical dome - 8 arches - Shells - Tension ring

Description

### STRUCTURAL BEHAVIOUR

- No significant seismic actions
- Distributed loads produce mainly membrane forces → ←
- Thrust is equilibrated by tension ring forces ← ≡ →
- Mainly vertical loads are transmitted to the robust cylindrical "drum"
- Assessment focuses on the dome



Information

### **PRIOR INFORMATION**

- Previous assessment of the existing building, particularly the lower roof
- Available information about
  - Material properties
  - Cross sections of main elements
  - Deterioration mechanisms
- Prior information for the main dome



Information

### **DATA ACQUISITION PROGRAM**

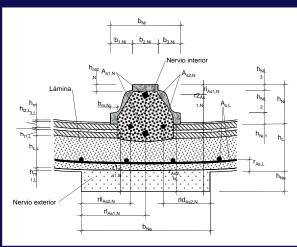
- Geometry
  - Overall system dimensions
  - Cross sections of structural and ornamental elements
- Self weight and permanent actions
- Material properties
- Qualitative and quantitative determination of damage
  - Cracks
  - Spalling
  - Carbonation and chloride ingress
  - Corrosion velocity and cross section loss
  - Material deterioration such as crystallization of salts, efflorescence, humidity
  - Previous interventions



## Updated models CROSS SECTIONS

Parameters for different variables derived from a minimum of 4 measurements





# CROSS SECTIONS - Equivalent cross sections for structural analysis Arches Shell Tension ring Output Tension ring Tension ring Tension ring Tension ring Tension ring Tension ring Tension ring

### **Updated models**

### **SELF WEIGHT AND PERMANENT ACTIONS**

- For each layer, j, establishment of
  - Thickness, h<sub>i</sub>
  - Density of material,  $\rho_i$



- Mean values and coefficients of variation for self weight and permanent actions
- → Updated partial factors, for example for self weight

$$\gamma_{g_c,act,\delta} = 1 - \alpha_{g_c} \cdot \beta \cdot \sqrt{V_{\rho_c,act}^2 + V_{h_c,act}^2} = 1,18$$

$$\gamma_{Sd,N,act,v} = \gamma_{Sd,N,v} = e^{-\alpha_{\xi_{E,N}} \cdot \beta \cdot V_{\xi_{E,N}}} = 1,06$$

**Updated models** 

### MATERIAL PROPERTIES FOR REINFORCING STEEL

- Manufacture of specimens
- Execution of tensile tests

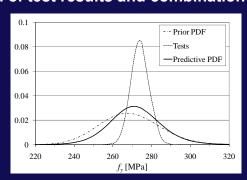




### **Updated models**

### MATERIAL PROPERTIES FOR REINFORCING STEEL

Evaluation of test results and combination of information



- Updated parameters: LN;  $\mu_{fys,act}$ ;  $\sigma_{fys,act}$ ;  $f_{ys,k,act}$ ;  $\gamma_{s,act}$
- Updated characteristic values

-  $\phi$  < 6 mm:  $f_{ys,k,act} = 304 \text{ N/mm}^2$ 

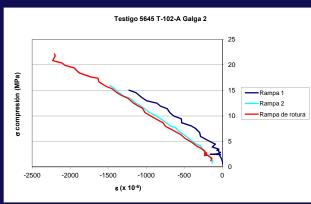
-  $\phi > 6 \text{ mm}$ :  $f_{ys,k,act} = 262 \text{ N/mm}^2$ 

### **Updated models**

### **MATERIAL PROPERTIES FOR CONCRETE**

- Manufacture of specimens
- Execution of compression tests





### **Updated models**

### **MATERIAL PROPERTIES FOR CONCRETE**

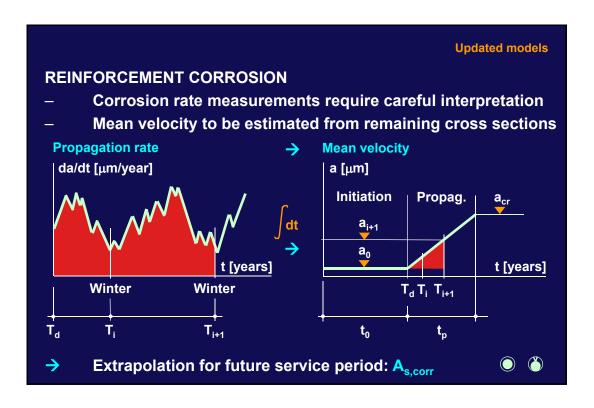
- Evaluation of test results and combination of information
- Updated parameters
  - Compressive strength: LN;  $\mu_{fc,act}$ ;  $\sigma_{fc,act}$ ;  $f_{ck,act}$ ;  $\gamma_{c,act}$
  - Modulus of elasticity:  $\mu_{Ec,act}$ ;  $\sigma_{Ec,act}$
- Updated characteristic values

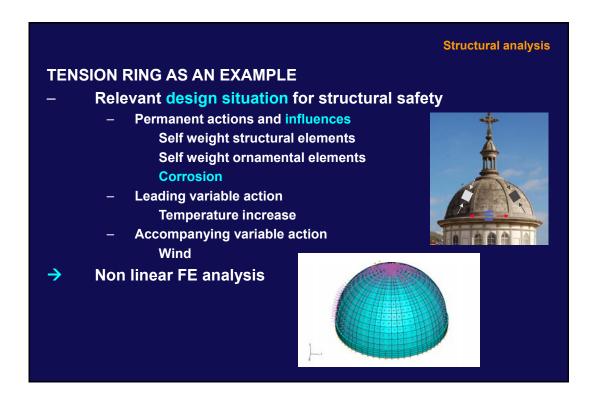
 $\begin{array}{lll} - & \text{Arches:} & f_{ck,act} = 6.8 \text{ N/mm}^2 \\ - & \text{Shells:} & f_{ck,act} = 3.1 \text{ N/mm}^2 \\ - & \text{"Drum":} & f_{ck,act} = 4.9 \text{ N/mm}^2 \end{array}$ 











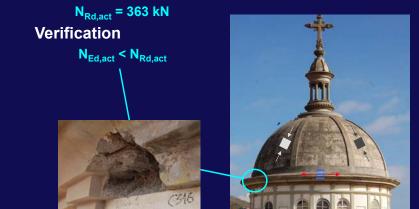
### Verification of structural safety

### **TENSION RING AS AN EXAMPLE**

Updated design action effects

 $N_{Ed.act} = 175 \text{ kN}$ 

Updated design resistance at the end of future service period

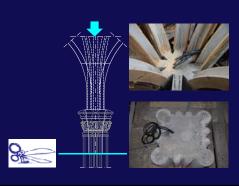


Decision

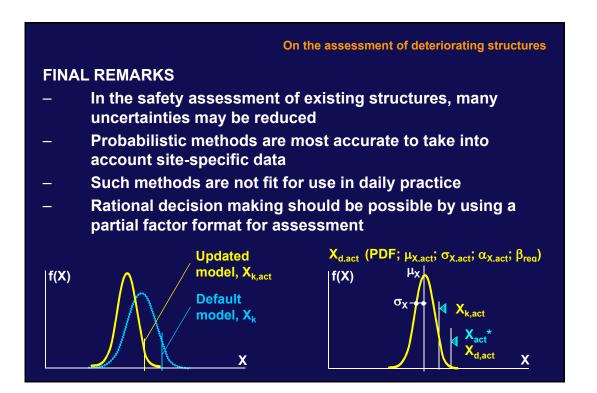
### **RECOMMENDATION**

- Structural reliability can be verified, but
  - Severe damage to concrete and reinforcement
  - Impossibility to detain deterioration mechanisms
  - Technical difficulties and uncertainties entailed in repairing dome
- → Demolition and reconstruction of the roof is advisable









On the assessment of deteriorating structures

### FINAL REMARKS

- Tools have been developed to accommodate site-specific data by updating characteristic values and partial factors
- Further efforts are needed to extend these tools to the assessment of deteriorating structures

